

# E151 Lecture 11 – Common Base and Cascodes

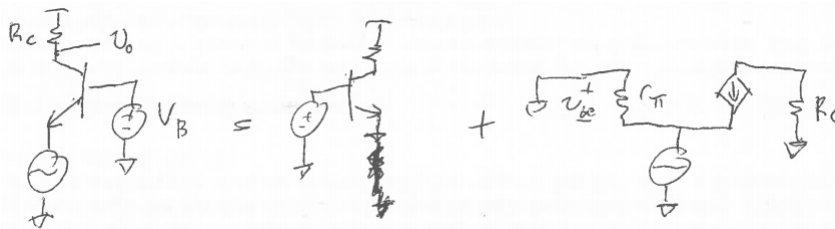
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## Disclaimer

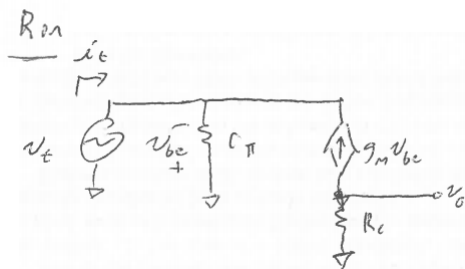
These are notes for Prof. Spencer to give the lecture, they were not intended as a reference for students. Students asked for them anyway, so I'm putting them up as a courtesy. Remember that they are not intended as a substitute for attending lecture.

## Common Base Amplifier

- Still missing amplifier capabilities: low  $r_{in}$  and very big  $r_{out}$
- Use common base amplifier – good for RF matching, active loads
- Hard to bias this thing: more later



## $r_{in}$ , $r_{out}$ , $a_v$



$$i_b = \frac{v_t}{r_{\pi}} - g_m (-v_t)$$

$$\frac{v_t}{i_t} = R_{in} = \frac{1}{\frac{1}{r_{\pi}} + g_m} = \frac{1}{g_m} \parallel r_{\pi}$$

Same pattern as EF output:  $1/g_m$

- Skipping  $r_o$  here. See G&M.
- They do  $r_{in}$ , I do  $r_{out}$  &  $a_v$
- $r_{out}$  depends on  $v_{in}$  being shorted
  - See above
  - Does  $R_s$  matter? RI?

$$\begin{aligned} \underline{A_v} \quad v_o &= -g_m v_{be} R_c \\ &= -g_m (-v_t) R_c \end{aligned}$$

$$\underline{R_{out}} \quad R_{out} = R_c$$

## Asides: T-model, biasing, "current buffer"

- Alternative analysis strategy: use a T-model instead of our hybrid-pi

Often called  $r_e$

$A_i \rightarrow$  current buffer

$$A_i = \frac{-i_{\pi} r_{\pi}}{i_o} = \frac{-\beta i_{\pi}}{i_o}$$

$$i_o = g_m U_{be} = \beta i_{\pi} \Rightarrow A_i = \frac{-\beta i_{\pi}}{\beta i_{\pi}} = -1$$

$i_{\pi} = i_i + g_m (-i_{\pi} r_{\pi})$

$$i_{\pi} (\beta + 1) = i_i \Rightarrow i_{\pi} = \frac{i_i}{\beta + 1}$$

$$A_i = \frac{-\beta}{\beta + 1} \approx -1$$

$R_b$  can hit  $g_m$  too!

$\rightarrow$  reduces  $g_m$

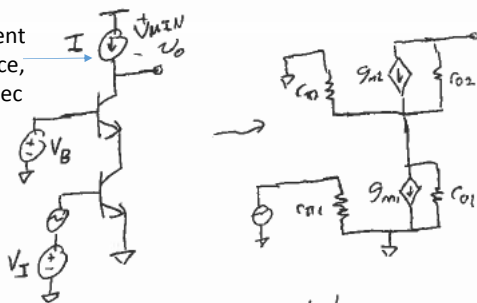
NO! NO DC bias current

## Cascodes

Note to self: Derive as 2 stage amp instead of current gain

- Can we use the common base high rout for gain?
- Yes! CE-CB amplifier, called a cascode, one of two analog tricks

Use  $R_c$ , not current source, this lec



- skipping biasing, but interesting -  $V_B$  set st  $I$  in  $Q_1$   
 $- V_{be}$  must be  $\approx 0.7$  V

$$V_{in} = r_{\pi 1}$$

$$V_{oMAX} = V_{CC} - V_{MIN}$$

$$V_{oMIN} = 2V_{CESAT}$$

$\left. \begin{matrix} V_{oMAX} \\ V_{oMIN} \end{matrix} \right\} \text{- lose swing}$

$\left. \begin{matrix} - \text{small signal pattern} \\ - g_{m1} \text{ off} \\ - g_{m2} \text{ on} \end{matrix} \right\}$

$$r_{out} = r_{\pi 2} \parallel (r_{o1} + r_{o2} + g_{m2} r_{o2} (r_{o1} \parallel r_{\pi 2}))$$

$$= r_{\pi 2} \parallel r_{o1} + r_{o2} + \beta_2 r_{o2} r_{o1} / (r_{o1} + r_{\pi 2})$$

$$a_v = g_{m1} \cdot \frac{\beta_2}{\beta_2 + 1} \cdot r_{out}$$

Really big  $a_v$  &  $r_{out}$ !  
 called a cascode! one of the big tricks!