

BJT Review
+ PNP

- What did I just do?
- NPN modes of op.
w/ silicon ptx
- NPN small signal
- PNP modes of op.
w/ silicon ptx
- PNP small sig. & NPN sat sig

(1)

BJT Func & Large Signal

- Reverse active
- Breakdown
- B variation remains
- Full Ebers-Moll
(just mention)

(4)

common bias circuits

- i_B control is key in FAR
- Native i_B
- divider & base loading

(2)

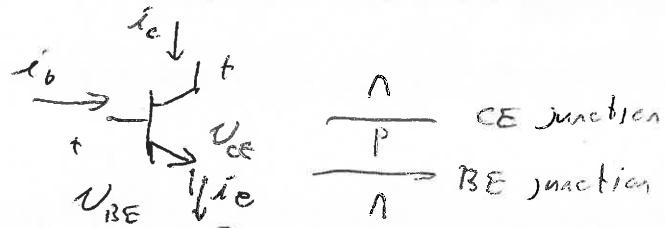
Mid-band

- How do we get signals in?
↳ AC couple!
- ↳ can build DC coupled ckt.
- limited S performance
- ↳
- can mid-band out ports

(3)

(small sig review)

- Let's review NPN BJT Large Signal Models

Always: $i_E = i_C + i_B$ 3 States

- ① cutoff - BE junction off & CE junction off
saturation - BE junction on & CE junction on

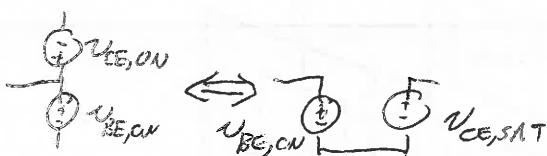
$$\text{i.e.: } V_{BE} < V_{BE,ON} \text{ & } V_{CE} - V_{CE,ON} < V_{CE,ON}$$

Native diode model $\sim \frac{1}{e^{\frac{V}{V_T}}}$ - works here

② saturation

- BE junction on & CE junction on
- i.e.: V_{BE} really high
- i.e.: $V_{BE} > V_{BE,ON} \Rightarrow V_{BE} - V_{CE} > V_{CE,ON}$

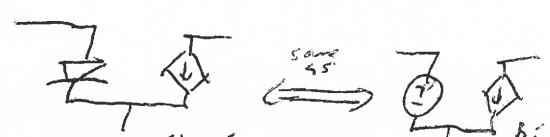
Native diode model



③ fwd. active region (FAR)

- BE junction on & CE junction off
- i.e.: $V_{BE} > V_{BE,ON} \text{ & } V_{CE} - V_{CE,ON} < V_{CE,ON}$

• Native diode model fails
GC narrow p-region \rightarrow current gain



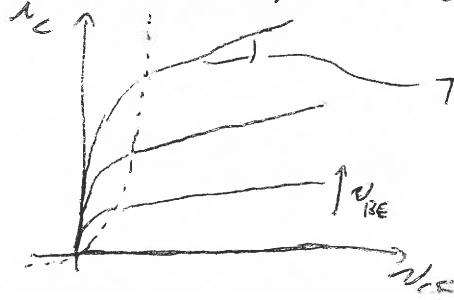
$$\text{ext. b/c } i_C = V_{BE}$$

$$V_{BE} - V_{CE} > V_{CE,ON}$$

$$i_B = I_{ES} (e^{V_{BE}/V_T} - 1)$$

$$i_C = \beta i_B$$

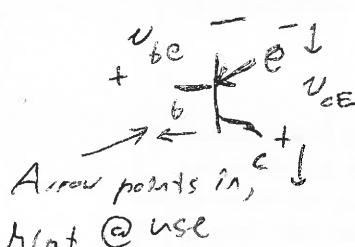
Common way to draw



This slope "new" to our model

- V_A affects size of base
- Quiescent w/ V_A

- Need to introduce PNP



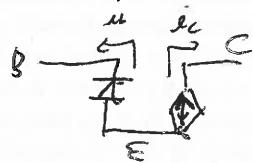
(Note: more but also legit!)

- same all flipped around, makes eq Δ odd,

- I focus on junctions to keep my head straight

- Makes sense when you see emitter hooked to supply

$$\rightarrow I_c = I_o + I_b \text{ always} \leftarrow$$



- Need V_{BE} to be on & V_{BC} to be off
so $V_{BE} < -V_{BE,ON}$ & $V_{BE} - V_{CE} > V_{EB,ON}$

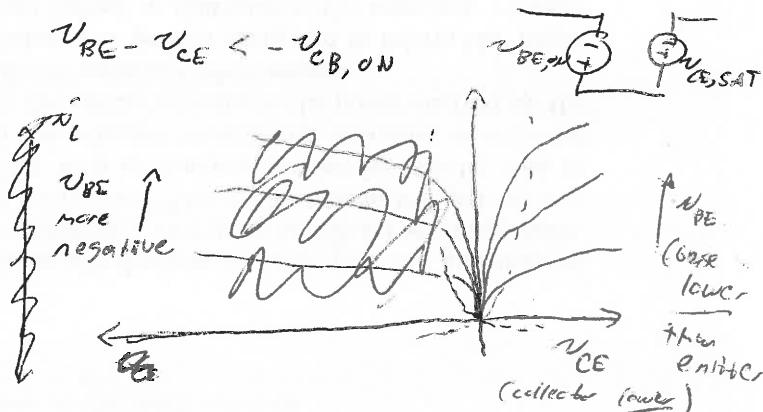
You guys write voltage boundaries for cut-off & saturation

Cut-off $V_{BE} > -V_{BE,ON}$ & $V_{BE} - V_{CE} > -V_{CB,ON}$

Sat. $V_{BE} < -V_{BE,ON}$ & $V_{BE} - V_{CE} < -V_{CB,ON}$

Recall, I find signs confusing

- can be plotted too

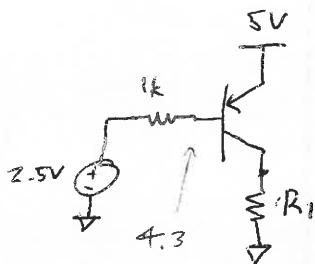


- Recall that I find this all confusing. Just think of PNP in a circuit (or as junctions)

You guys

① - Find I_c

- For PNP, if we hook emitter to supply & recall stats turns on below supply it makes sense



$$\beta = 50$$

$$V_R = 1.8V \rightarrow I_b = 1.8mA \rightarrow I_c = 90mA$$

$$(V_{CB} = 0.5V)$$

$$|V_{BE,ON}| = 0.7V$$

② - What is max R_1 before we enter sat? $V_{CE,SAT} = 0.1V$

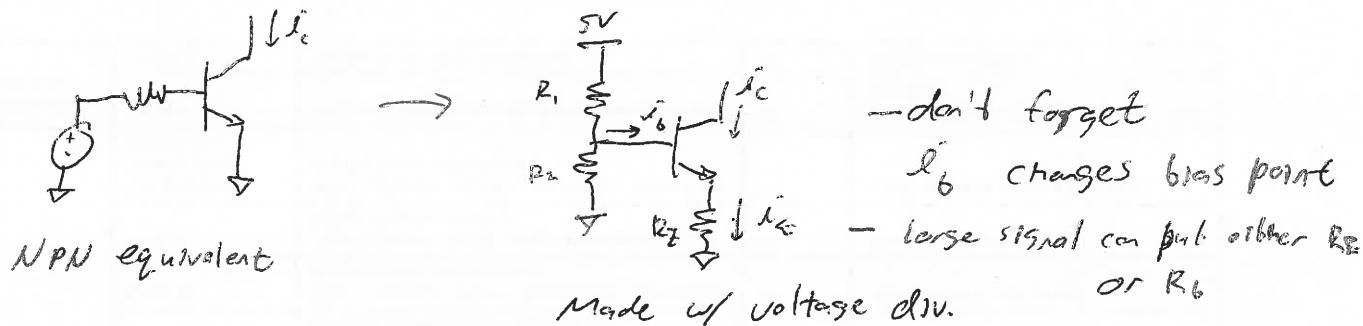
$$V_{CE} = 5V - 90mA \cdot R_1 \quad V_c = 90mA \cdot R_1 \text{ must be } < 4.9V$$

$$R_1 < \sim 55\Omega$$

Just saw an example of biasing a BJT

- depends on a precision voltage source, not practical

- But the basic idea - control i_b for the $W_N - P_S$ gear



$$= \text{pick } i_C = 1\text{mA} \Rightarrow V_E = 2\text{V} \rightarrow R_E = 2k\Omega, i_b \propto 10\mu\text{A}, V_b = 2.7\text{V}$$

$$= i_b = \frac{2.7\text{V}}{R_2} + 10\mu\text{A} = \frac{5\text{V} - 2.7\text{V}}{R_1}$$

- big β makes easy design. $R_2 \sim 1k\Omega$, $R_1 \sim 10k\Omega$ is a big deal.

How do we get signals in? (e.g; for small signal measurements)



Adding Supplies is hard

$F_{out\ out}$
bias R in
mid-band

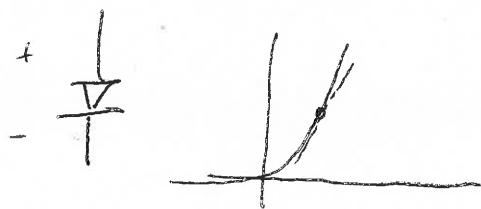
DC is for
Op-amps

- pick C so invisible
@ moderate freq.

- Amplifier works in
"mid-band"

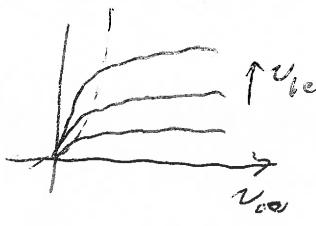
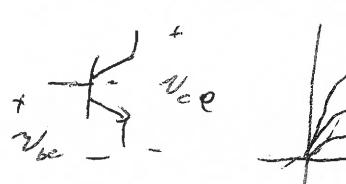
Air |
in |
out |
S |
Cable short
causes
high
f issues.

Let's review NPN & PNP small signal



- diode is function of 1 variable

- $\partial I/\partial V_d$ need to linearize I_d by V_d

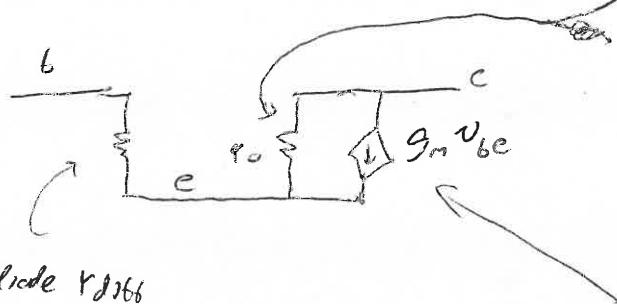


- I_c varies w/ both V_{be} & V_{ce}

↳ need to linearize to both values

$$\frac{\partial I_c}{\partial V_{be}} \approx \frac{I_c}{V_A} \leftarrow \text{use} \quad (\text{inverse to make resistor})$$

\leftarrow run



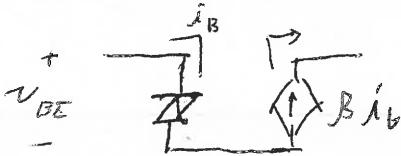
$$I_{be} = \frac{\partial I_c}{\partial V_{be}} B \cdot I_{ES} (e^{V_{be}/\phi_{th}} - 1)$$

$$= \frac{1}{\phi_{th}} \cdot B \cdot I_{ES} e^{V_{be}/\phi_{th}}$$

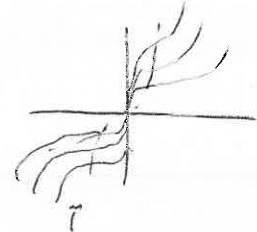
$$= \frac{I_c}{\phi_{th}} = g_m$$

→ called Hybrid- π

For PNP we have an identical model



(ℓ/c identical graph)

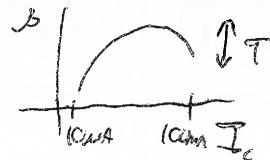
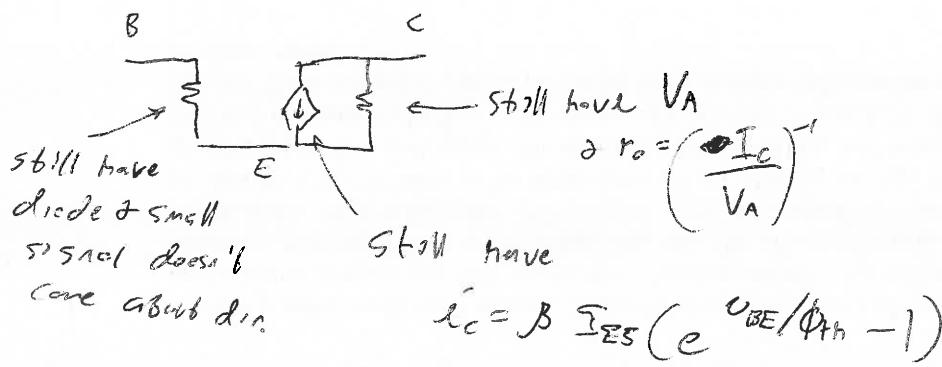


rev. active

$$I_c = I_S (e^{V_{ce}/\phi_{th}} - 1) - \frac{I_S}{\alpha_p} (e^{V_{ce}/\phi_{th}} - 1)$$

$$I_E = -\frac{I_c}{\alpha_p} (e^{V_{ce}/\phi_{th}} - 1) - I_S (e^{V_{ce}/\phi_{th}} - 1)$$

Ebers-Moll



Current mirrors?